This homework is due next Wednesday, October 30.
Reminder: There is a test next Friday, November 1.

The first part of the homework is the following exercises from Chapter 10 in the textbook, pages 195-197: Problems number 2, 8, 10, 18, and 34 .

A few additional problems:

1. a) Use mathematical induction to prove $\sum_{i=1}^{n} \frac{1}{i(i+1)}=\frac{n}{n+1}$ for all $n \in \mathbb{N}$.
b) Show that $\frac{1}{i(i+1)}=\frac{1}{i}-\frac{1}{i+1}$. Prove $\sum_{i=1}^{n} \frac{1}{i(i+1)}=\frac{n}{n+1}$ without using induction, by writing out the terms of the sum, applying this formula, and noting that most of the terms cancel.
2. a) Let $r$ be any number. Use induction to prove that $\sum_{i=0}^{n} r^{i}=\frac{1-r^{n+1}}{1-r}$ for all integers $n \geq 0$.
b) Now, prove the same formula without using induction, as follows. Let $S$ be te value of the sum $\sum_{i=0}^{n} r^{i}$. Write out a formula for $S-r S$, without using summation notation, and not that many of the terms cancel. Finish the proof by noting $S-r S=(1-r) S$ and solving for $S$.
